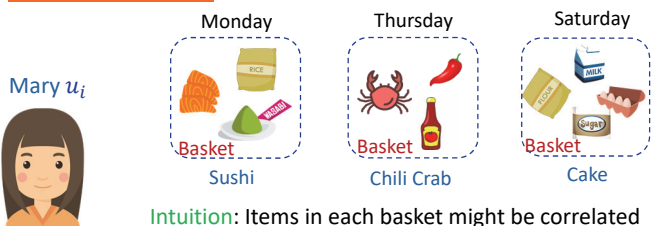


Problem

The notion of basket:

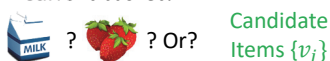


Intuition: Items in each basket might be correlated

Current Basket B_i

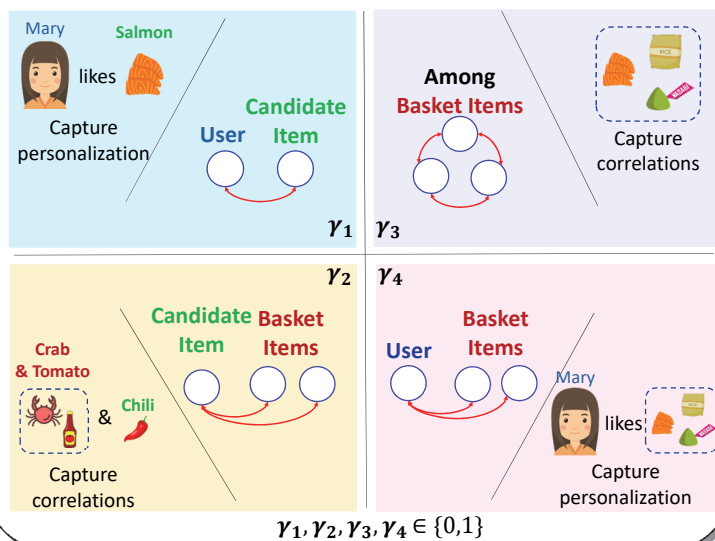


What to add to the current basket?



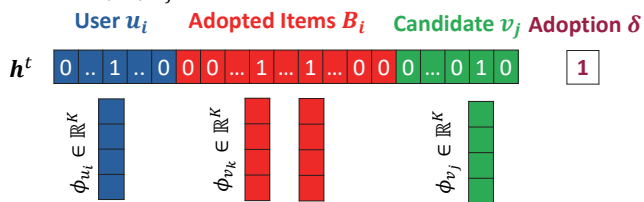
Task: Given the current basket, recommend an item for Mary
Solution: Learn a real-valued function from adoptions to rank candidate items: $F(u_i, B_i, v_j; \theta)$

Insight: Association Types



Approach#1: Basket-Sensitive Factorization Machine (BFM)

Tuple: $t = \langle u_i, B_i, v_j, \delta \rangle \in T$, N users, M items



Adoption Estimation:

$$\mathcal{F}(h^t; \theta) = \mu_0 + \sum_{i=1}^p \mu_i h_i$$

Global & Item Bias

$$+ \gamma_1 \sum_{i=1}^N \sum_{j=N+1}^{N+M} h_i h_j (\phi_i^T \phi_j) + \gamma_2 \sum_{i=N+1}^{N+M} \sum_{j=M+1}^{N+M} h_i h_j (\phi_i^T \phi_j)$$

User & Candidate Item Candidate Item & Basket Items

$$+ \gamma_3 \sum_{i=N+1}^{N+M} \sum_{j=i+1}^{N+M} h_i h_j (\phi_i^T \phi_j) + \gamma_4 \sum_{i=1}^N \sum_{j=N+1}^{N+M} h_i h_j (\phi_i^T \phi_j)$$

Among Basket Items User & Basket Items

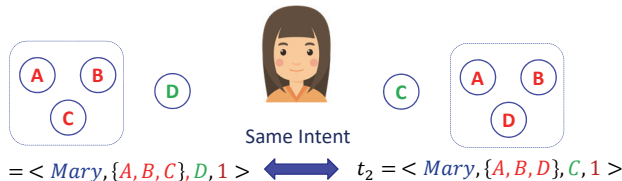
Optimization:

$$OPT_BFM(T) = \operatorname{argmin}_{\theta} \left[\sum_{t \in T} -\ln(\sigma(\mathcal{F}(h^t; \theta) \times t \cdot \delta)) + \sum_{\theta \in \Theta} \lambda_{\theta} \theta^2 \right]$$

where $\lambda_{\theta} \in \mathbb{R}; \sigma(a) = 1/(1 + e^{-a})$

Approach#2: Constrained BFM (CBFM)

Same-Intent Tuples Example: Mary



Intuition:

- Same-intent tuples should have similar adoption estimation
- Same-intent pairs may have different degree of correlation.

Constraint: A tuple t and its same-intent tuple $t^m = \operatorname{argmax}_{t' \neq t} \mathcal{F}(h^{t'}; \theta)$

$$PMI(t, t^m) \times (\mathcal{F}(h^t; \theta) - \mathcal{F}(h^{t^m}; \theta))^2$$

Pointwise Mutual Information Adoption Estimation Difference

Optimization:

$$OPT_CBFM(T) = \operatorname{argmin}_{\theta} \left[\sum_{\theta \in \Theta} \lambda_{\theta} \theta^2 + \sum_{t \in T} \{-\ln(\sigma(\mathcal{F}(h^t; \theta) \times t \cdot \delta)) + \alpha/2 \times PMI(t, t^m) \times (\mathcal{F}(h^t; \theta) - \mathcal{F}(h^{t^m}; \theta))^2\} \right]$$

where $\alpha \in \mathbb{R}$ Constraint

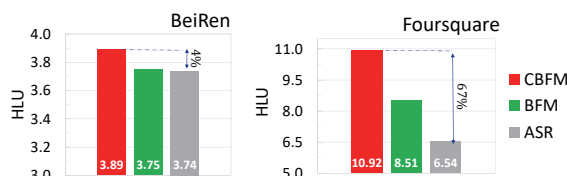
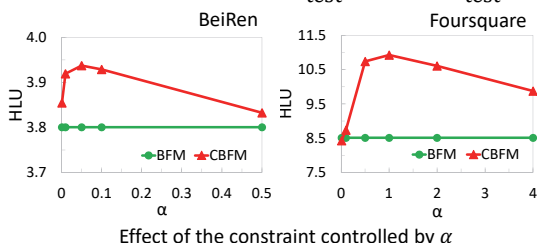
Experiments

Datasets: Grocery Shopping Baskets (BeiRen) and Point-of-Interest Check-ins (Foursquare).

Methodology: For a given testing tuple $t = \langle u_i, B_i, v_j, \delta \rangle$, hide v_j and generate the top-K predictions given v_i and B_i

Metric: Half-life Utility (HLU) measures the probability a user adopts a given item at a specific ranking position.

$$HLU = 1/|T_{\text{test}}| \times C \times \sum_{t \in T_{\text{test}}} 2^{(1-r_t)/(\beta-1)}, C = 100, \beta = 5$$



Comparison between the basket-sensitive models and the Association-Rules-based model

Conclusion: Experiments on the two datasets show that **Basket-Sensitive Information (BFM) & Constraint (CBFM)** contribute **statistically significant** improvements as compared to the baseline **Association Rules (ASR)** in term of **top-K recommendations**.