

RoundTripRank

Graph-based Proximity with Importance and Specificity

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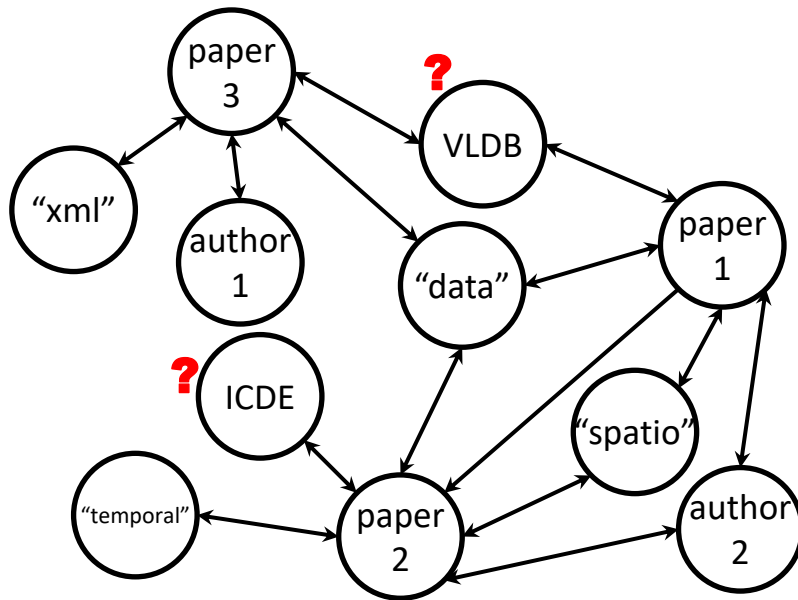
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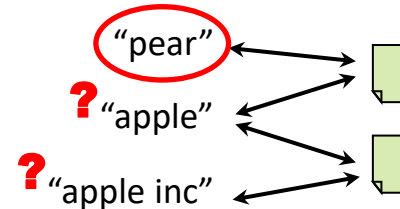
DAIS
The Data and Information Systems Laboratories
at The University of Illinois at Urbana-Champaign
Large Scale Information Management and Mining

Graph-based proximity has many applications with different ranking needs

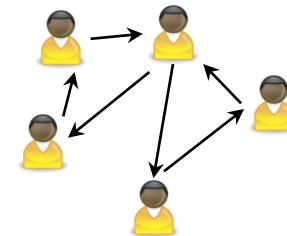
Citation graph



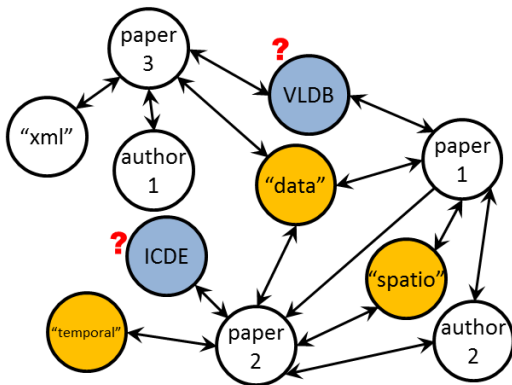
Query log graph



Social network



Although various applications involve different needs,
ranking by existing graph proximity is limited



Query

“spatio”, “temporal”, “data”



Matching venues by P-PageRank

SIGMOD	Intl Conference
VLDB	Intl Conference
ICDE	Intl Conference

Looks reasonable?
What's missing?

favor very **popular** or
important venues

only **categorically**
related as data topics

“schema”,
“matching”?

Other venues are needed for different purposes

Query

“spatio”, “temporal”, “data”

More *specific* venues?

quick background study	Spatio-Temporal Databases	Springer Book
report preliminary results	Spatio-Temporal Data Mining	Intl Workshop
	Temporal Aspects in Information Systems	Working Conference

A *balanced* mixture of venues?

important	VLDB	Intl Conference
specific	Spatio-Temporal Databases	Springer Book
balanced	ACM SIGSPATIAL/GIS	Intl Conference

Specificity has been traditionally ignored

Semantics

<i>Methodology</i>		Closeness	Importance	Specificity
	Common neighbor	Jaccard coefficient [Jaccard1901] AdamicAdar [Adamic2003]		
	Hitting time	Escape probability [Koren2006, Tong2007] SimRank [Jeh2002]		
	Reachability		P-PageRank [Page1999] ObjectRank [Balmin2004] PopRank [Nie2005]	
	Ad-hoc	Katz [Katz1953]		InvObjectRank Inverse global ObjectRank Inverse node degree [Hristidis2008]

Applications require **varying degrees of trade-off** between importance and specificity

Observation 1

Most Tasks Require Both Importance and Specificity.

Finding a
Reviewer

Overly **important**: maybe too broad, unaware of details

Overly **specific**: maybe a student, lack authoritativeness

Observation 2

The Desirable Trade-off Varies from Task to Task.

Choosing a
Venue

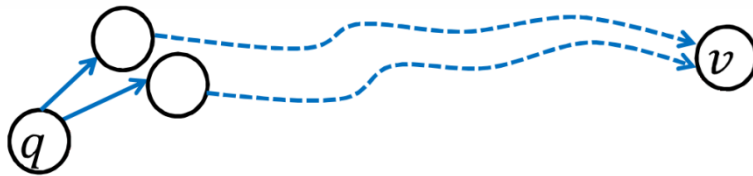
(to submit best work) **important** conferences ++

Purpose?

(to build background) **specific** book chapters ++

Addressing the two observations is challenging

Challenge 1: How do we unify importance & specificity into a single proximity measure?



Generalize random walk based importance to integrate specificity.

Challenge 2: How do we generalize our unified model to accommodate flexible trade-offs?

more importance



more specificity

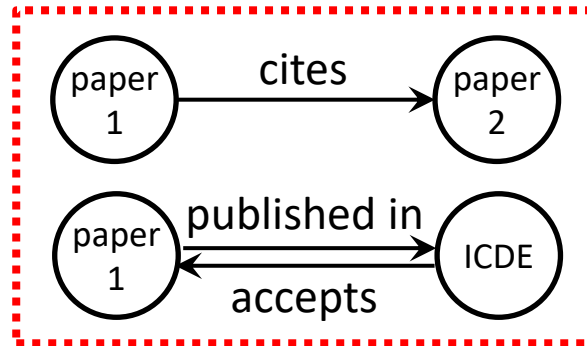
Challenge 3: How do we efficiently compute the proximity measure?

Real-time search is indispensable.

Challenge 1

How do we *unify importance & specificity*
into a single proximity measure?

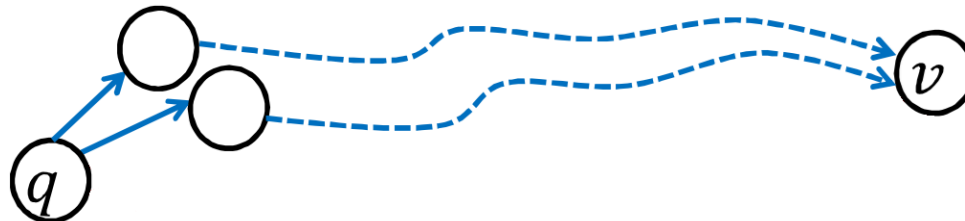
Let's first review **reachability-based importance** for generalization to specificity



“citations” or “endorsements”

If node v is important to query q ...

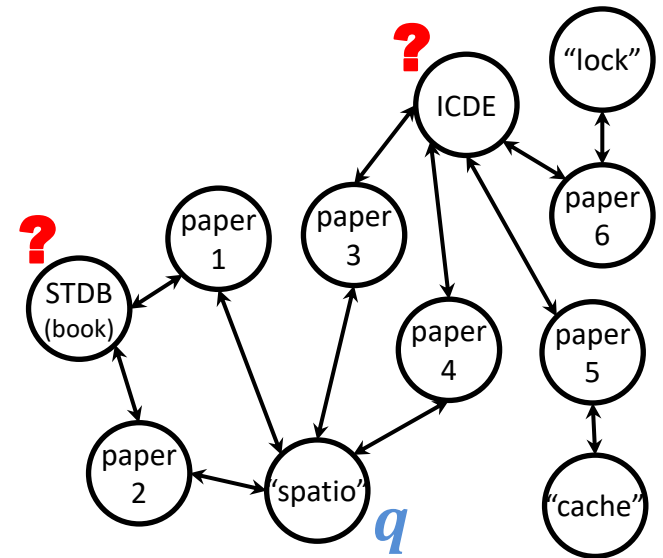
- q is likely to **cite** v , directly or indirectly
- Reachability from q to v



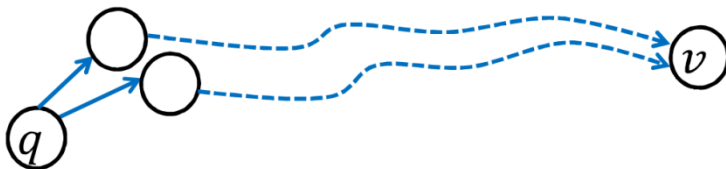
Generalize importance to specificity based on the same citation analogy

If node v is specific to query q ...

- v tends to cite nodes more tailored to q
- q is likely to **be cited by** v , directly or indirectly
- Reachability from v to q



Importance of v to q



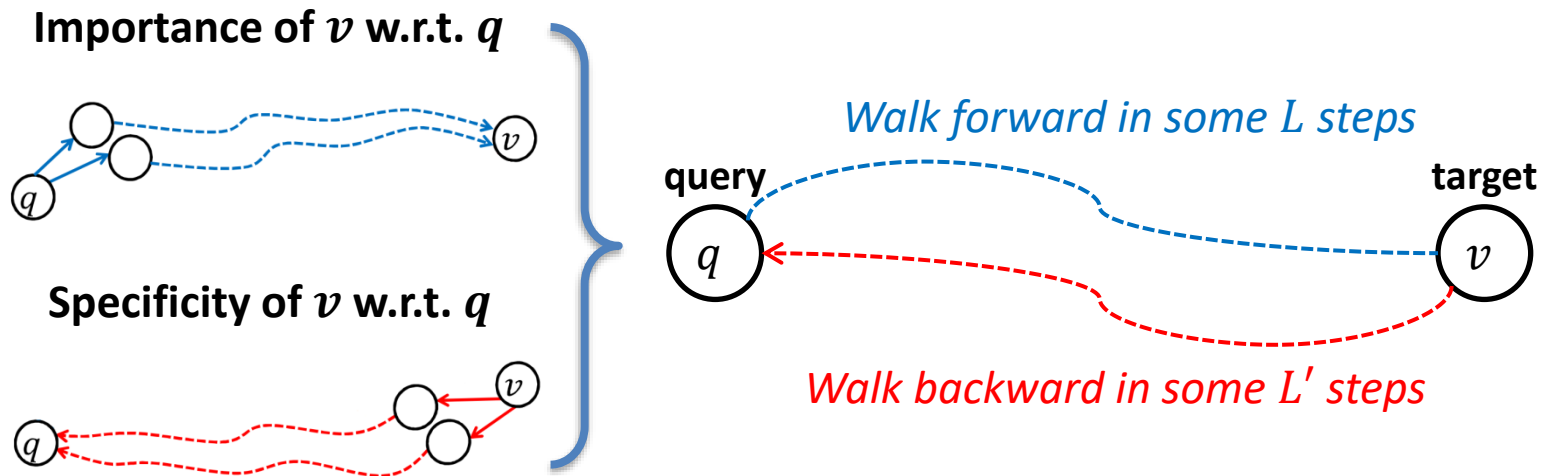
forward walk $q \rightarrow v$

Specificity of v to q



backward walk $v \rightarrow q$

Unify forward and backward walks into a **round trip** for both importance & specificity



Random walk: $W_0, W_1, \dots, W_L, W_{L+1}, \dots, W_{L+L'}$

Round trip: $W_0 = W_{L+L'}$

Target node: W_L

RoundTripRank: $r(q, v) \triangleq p(W_L = v | W_0 = W_{L+L'}, W_0 = q)$

Challenge 2

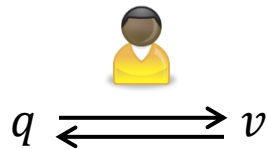
How do we *generalize our unified model* to accommodate flexible trade-offs?



Based on the same principle of random walk in a round trip.

Further generalize RoundTripRank using **hybrid random surfers** of different goals

Single random surfer ω



Goal: balance
b/w importance
and specificity



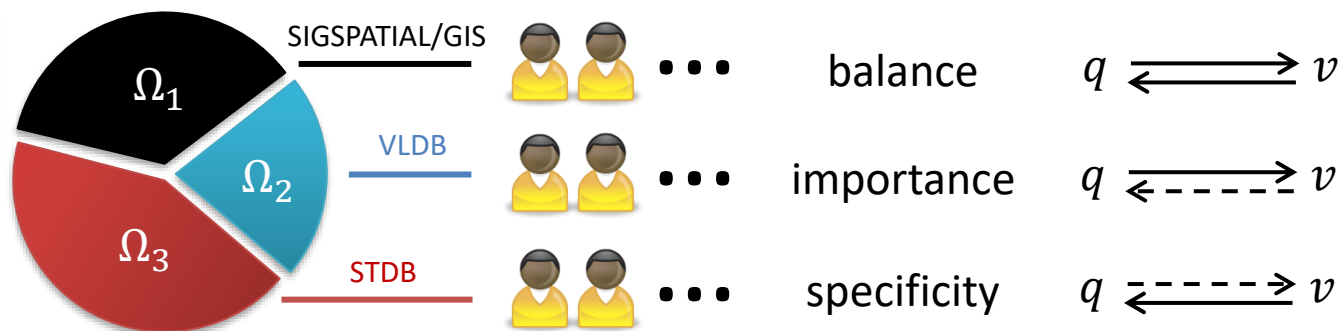
Hybrid random surfer Ω



Different surfers
 $\omega \in \Omega$ may have
different goals!

Generalize the behaviors of hybrid random surfers for **customizable trade-offs**

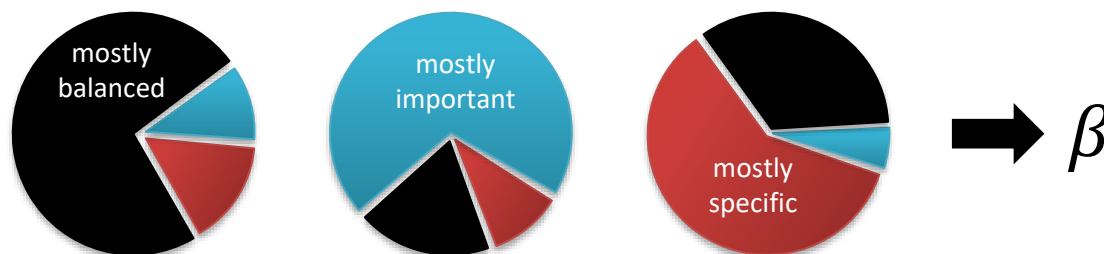
Hybrid Surfers



RoundTripRank+

$$r_{\Omega}(q, v) \triangleq p(x = v | \forall \omega \in \Omega: W_0^{\omega} = W_{L+L'}^{\omega} = q, W_L^{\omega} = x)$$

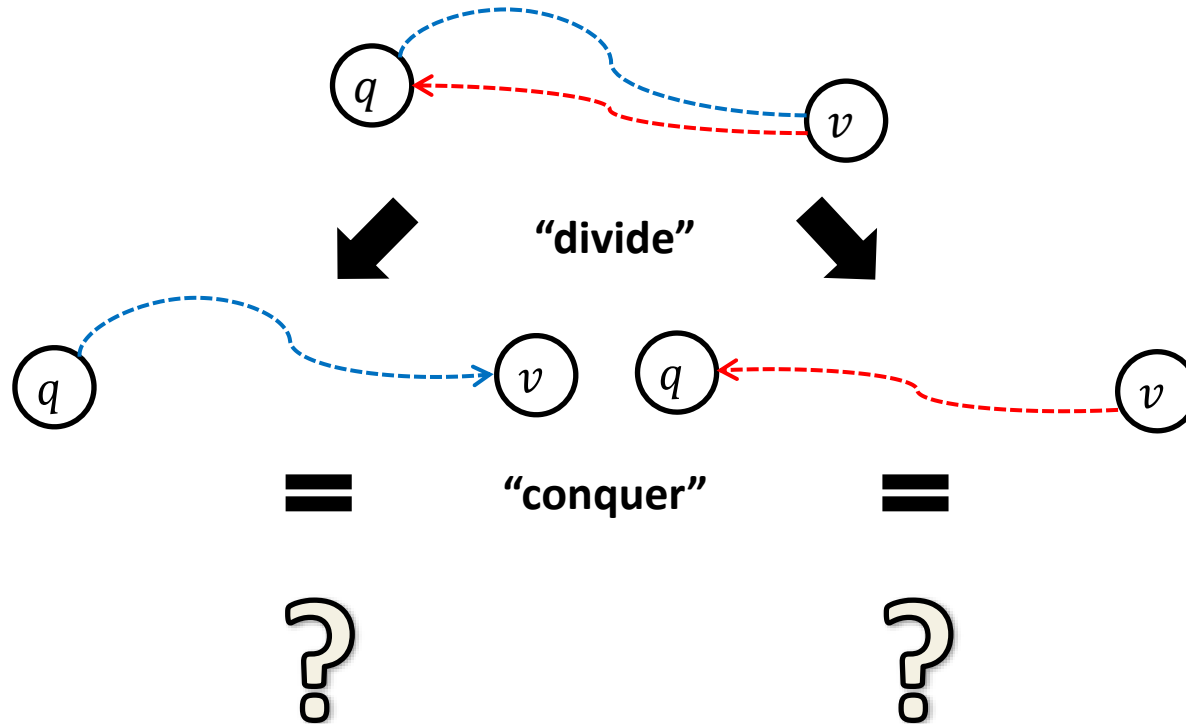
Adjusting Composition



Challenge 3

How do we efficiently compute
the proximity measure?

Compute RoundTripRank by “divide & conquer”



Compute RoundTripRank by “divide & conquer”

$$\begin{array}{ccc}
 r(q, v) \propto & & \\
 \swarrow \text{“divide”} \searrow & & \\
 p(W_L = v | W_0 = q) \times p(W_{L'} = q | W_0 = v) & & \\
 \hline \text{“conquer”} \hline & & \\
 \text{F-Rank: } f(q, v) & & \text{T-Rank: } t(q, v) \\
 \text{(reachability FROM } q) & & \text{(reachability TO } q)
 \end{array}$$

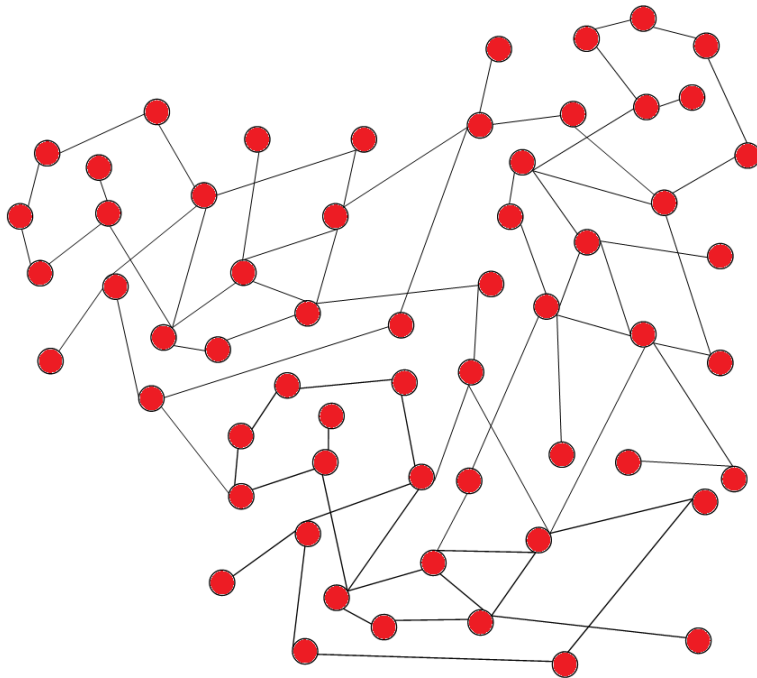
RoundTripRank: $r(q, v) \propto f(q, v)t(q, v)$

RoundTripRank+: $r_{\Omega}(q, v) \propto f(q, v)^{1-\beta} t(q, v)^{\beta}$

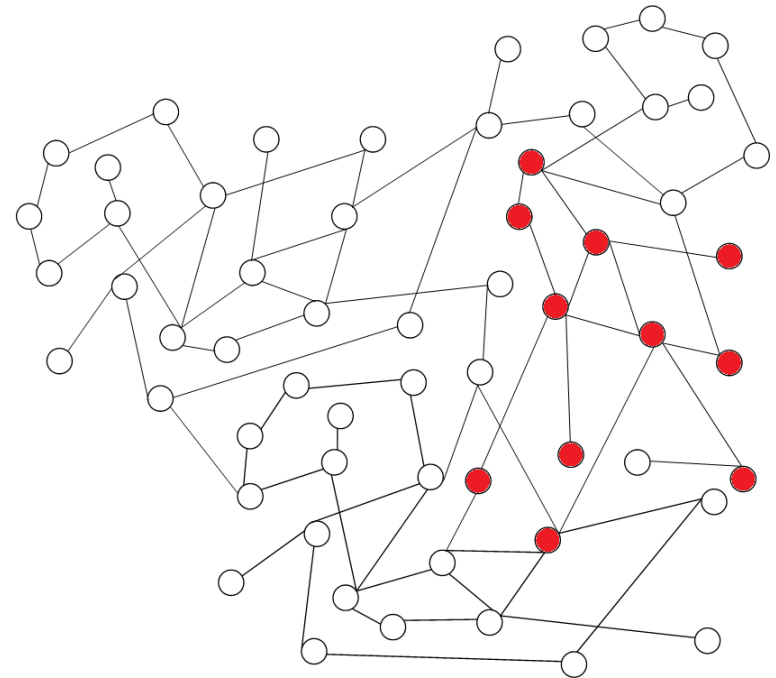
Specificity bias: $\beta = \frac{|\Omega_1| + |\Omega_3|}{2|\Omega_1| + |\Omega_2| + |\Omega_3|} \in [0, 1]$

Top- K ranking is more practical & scalable

Full ranking
[over the entire graph]

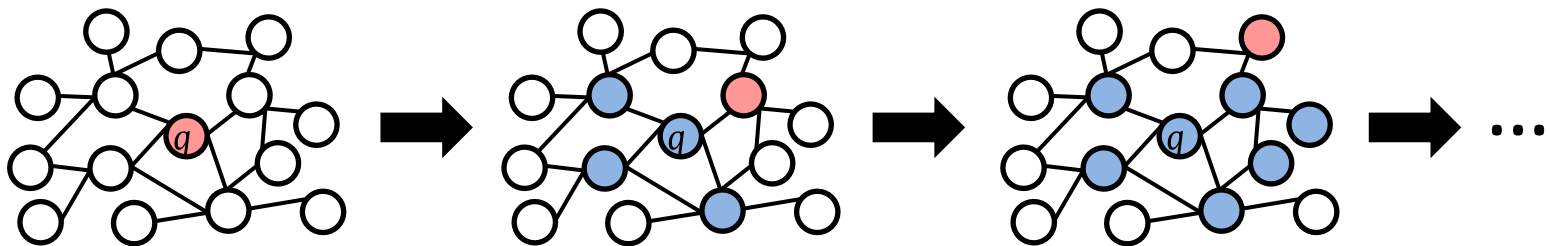


Top- K ranking
[based on a neighborhood]



Branch-and-bound algorithm

Neighborhood expansion

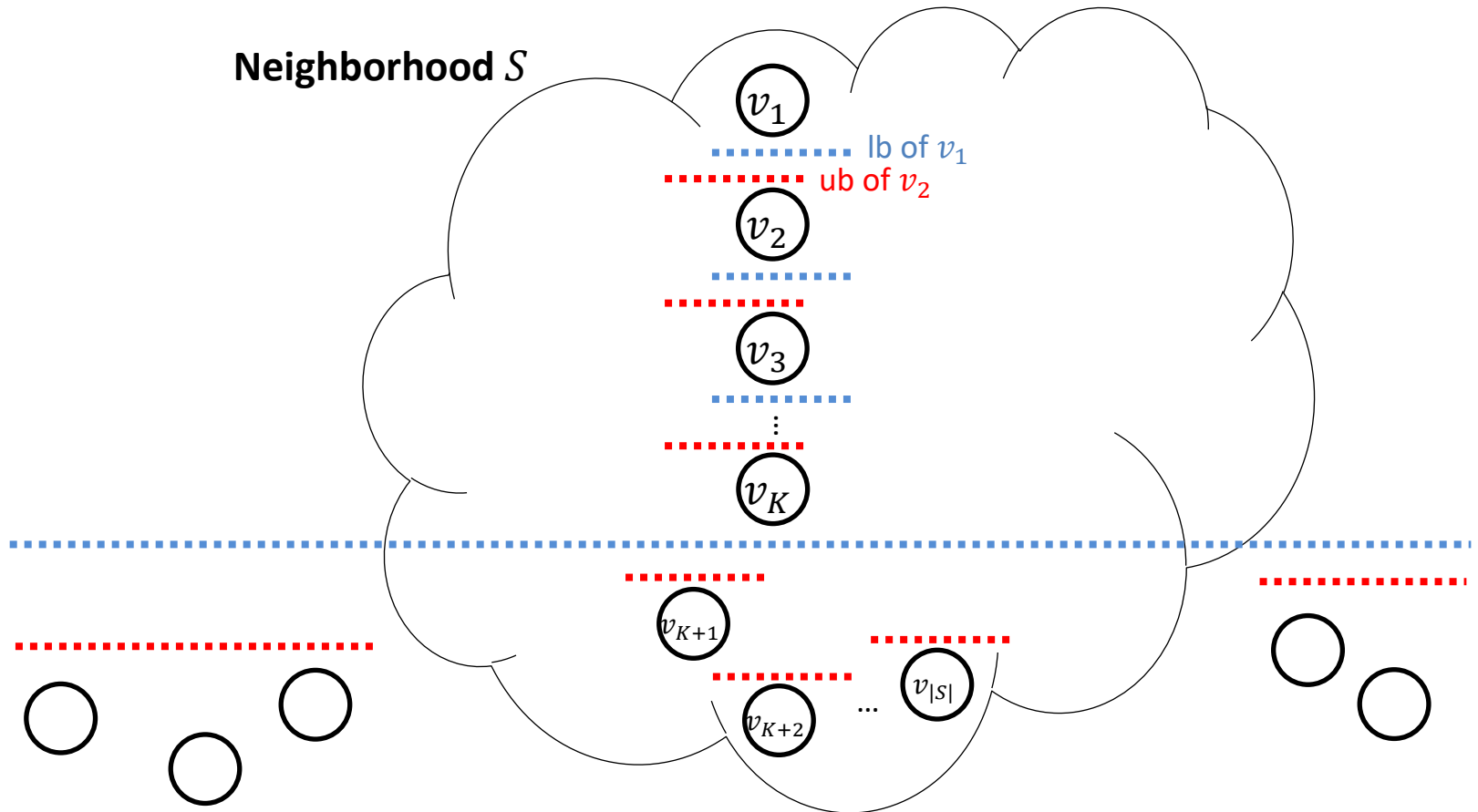


Bounds

Given the current neighborhood S :

$$\begin{aligned} \check{r}(q, v) &\leq r(q, v) \leq \hat{r}(q, v), \forall v \in S \\ r(q, v) &\leq \hat{r}(q), \forall v \notin S \end{aligned} \quad \left. \vphantom{\begin{aligned} \check{r}(q, v) &\leq r(q, v) \leq \hat{r}(q, v), \forall v \in S \\ r(q, v) &\leq \hat{r}(q), \forall v \notin S \end{aligned}} \right\} \begin{array}{l} \text{determine} \\ \text{top-}K \text{ nodes} \end{array}$$

Is a candidate top- K ranking v_1, \dots, v_K correct?



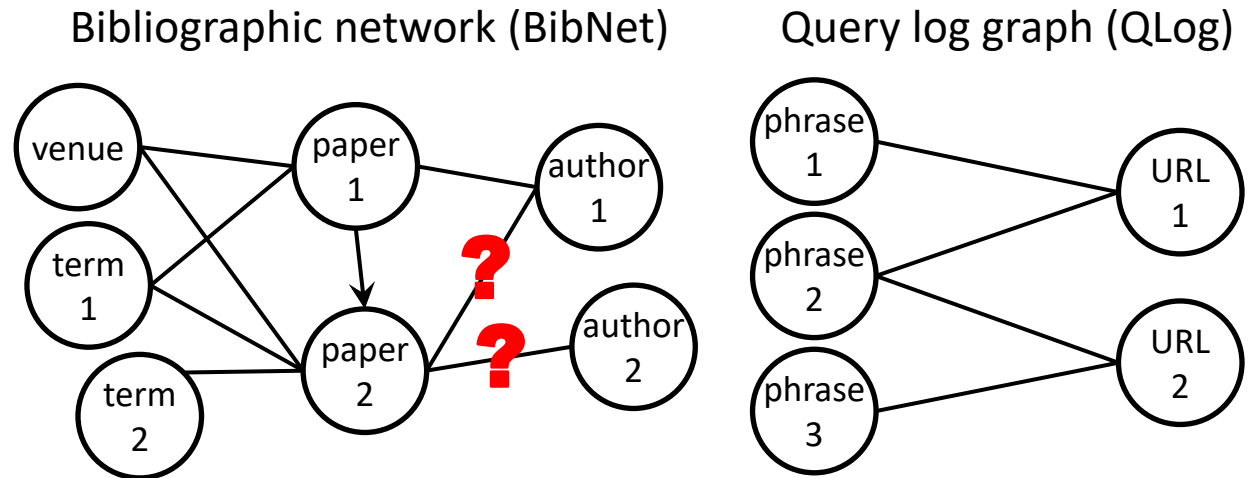
$$\check{r}(q, v_i) > \hat{r}(q, v_{i+1}) - \epsilon \quad \forall i \in \{1, \dots, K-1\}$$

$$\check{r}(q, v_K) > \max \{ \hat{r}(q, v_{K+1}), \dots, \hat{r}(q, v_{|S|}), \hat{r}(q) \} - \epsilon$$

Experiments

Experimental Setup

Graphs

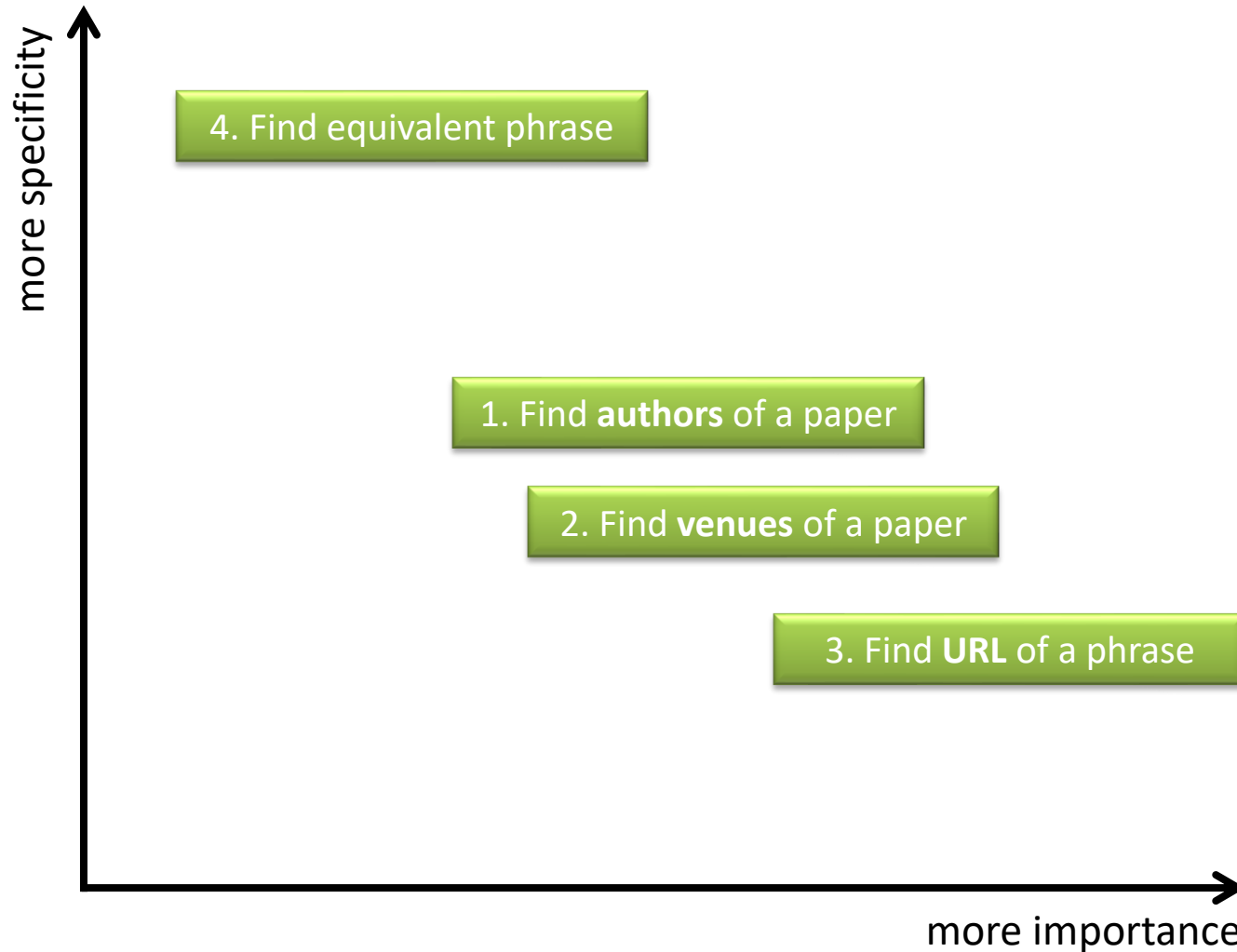


Evaluation methodology

Hide-and-rediscover

- Reserve nodes with known associations to query
- Remove those associations from the graph
- **Can a proximity measure still rank those nodes highly?**

Evaluation Tasks



Finding 1

Both importance & specificity are needed

Venues matching “spatio temporal data”

F-Rank/PPR	T-Rank	RoundTripRank
dell	dell c1295	dell battery
dell com	battery for dell inspiron 8000	battery for dell inspiron 8000
dell computers	312 0068	dell
<i>important</i>	<i>specific</i>	<i>balanced</i>

Phrases similar to “dell notebook”

F-Rank/PPR	T-Rank	RoundTripRank
dell	dell c1295	dell battery
dell com	battery for dell inspiron 8000	battery for dell inspiron 8000
dell computers	312 0068	dell
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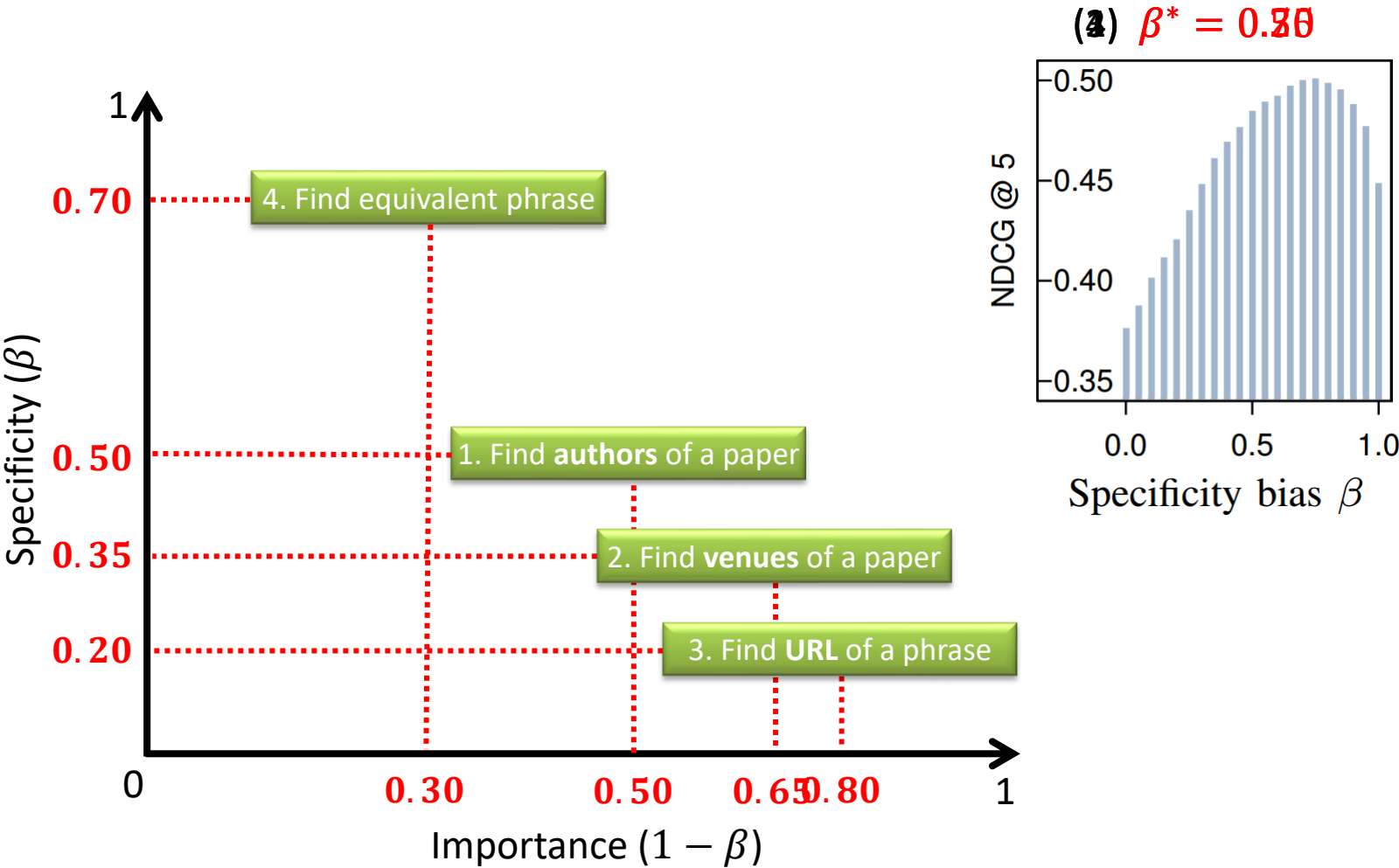
Quantitative evaluation (hide-and-rediscover)

NDCG	$K = 5$	$K = 10$	$K = 20$
RoundTripRank	0.4999	0.5383	0.5657
F-Rank/PPR	<u>0.4561</u>	<u>0.4969</u>	<u>0.5257</u>
T-Rank	0.4096	0.4534	0.4870
SimRank	0.3270	0.3650	0.3919
AdamicAdar	0.2004	0.2226	0.2512

} + 8% ~ 10%

Finding 2

Optimal trade-offs β^* vary task by task



Optimal trade-offs β^* vary task by task

Comparison to non-customizable dual-sensed proximity

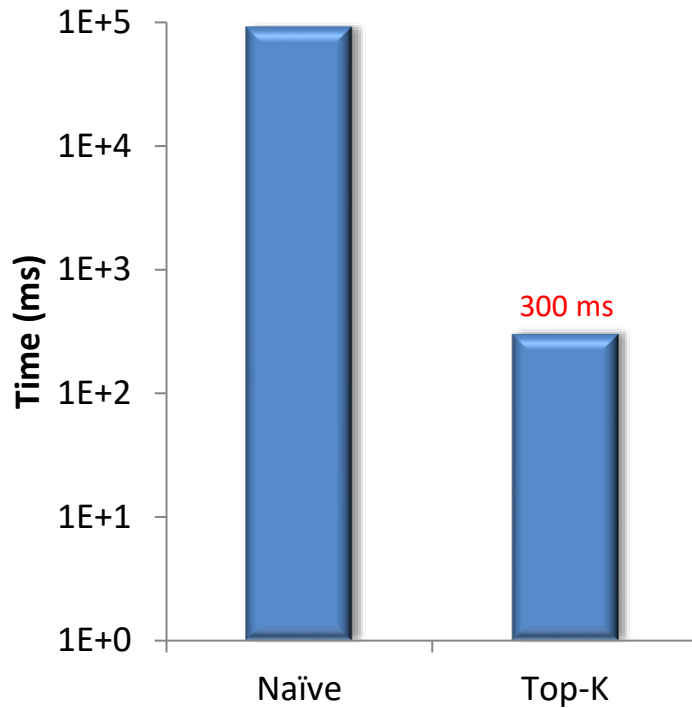
NDCG	$K = 5$	$K = 10$	$K = 20$
RoundTripRank+	0.5080	0.5470	0.5742
TCommute	<u>0.4734</u>	<u>0.5159</u>	<u>0.5441</u>
ObjSqrtInv	0.4624	0.5028	0.5321
Harmonic	0.4524	0.4946	0.5247
Arithmetic	0.4692	0.5125	0.5401

} + 6% ~ 7%

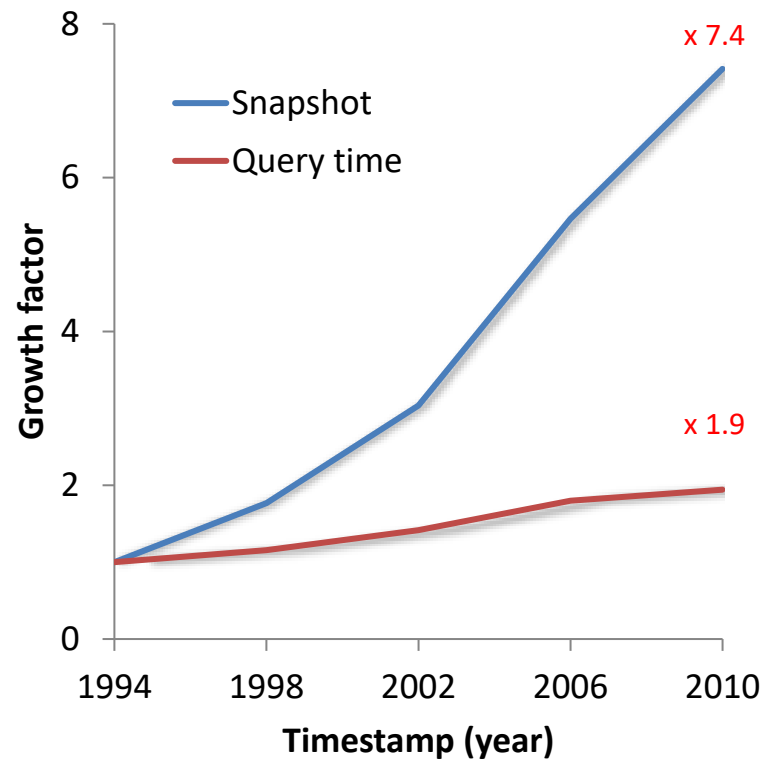
Finding 3

Our top-K method is efficient & scalable

Efficiency



Scalability





Importance as “Reachability” → Specificity as “Returnability”

“Reachability” + “Returnability” → a Round Trip